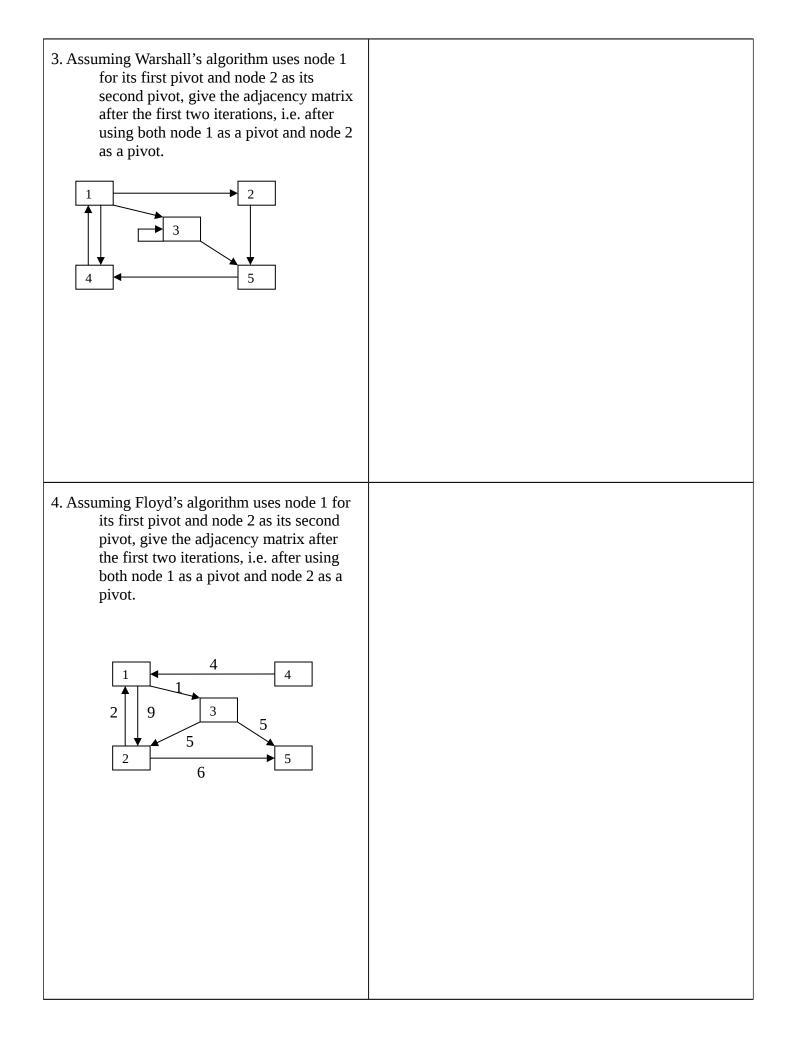
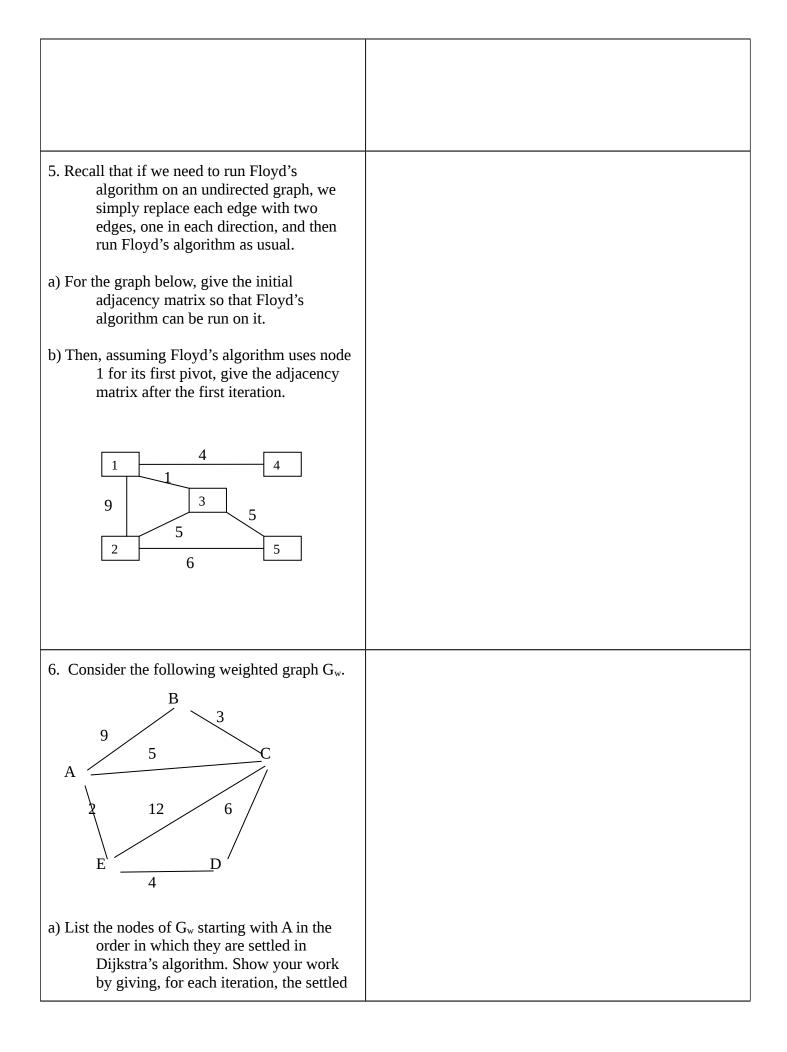
Questions:	Answers:
 For the graph below, use ordinary arithmetic to compute A³. What does this matrix represent? 	
2. As directed below, prove that the following algorithm produces a matrix in which the number in the ith row and jth column is the number of paths of length n from the ith node to the jth node.	
initialize A as the adjacency matrix for graph G; M = A for (i = 2 to n) $M = M \times A$ (using ordinary arithmetic)	
a) In terms of A, what is the value of M when the loop terminates?	
b) Give the loop invariant. (This should be a statement based on k—the number of loops—such that when the algorithm stops, it will yield the result we want.)	
c) Give the basis for an induction proof. (This will be the case before going through the loop, i.e. for $k = 0$.)	
d) Prove the induction implication. (That is, prove $S(k) \Rightarrow S(k+1)$ where $S(k)$ is your loop invariant.)	

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 node for the iteration and the distance to each unsettled node at the end of the iteration. b) List the nodes of G_w starting with C in the order in which they are settled in Dijkstra's algorithm. 	
7. Consider again graph G _w in problem #6.	
a) List the edges in the order added by Kruskal's algorithm.	
b) List the edges in the order added by Prim's algorithm when the initial chosen node is A.	
c) List the edges in the order added by Prim's algorithm when the initial node chosen is C.	